

## Lecture 9 - February 4

### Arrays and Linked Lists

***Q: Mixing Insertion & Selection Sorts***

***SLL: Visual Introduction & Operations***

***SLL in Java: Node vs. SinglyLinkedList***

## Announcements/Reminders

- **Assignment 2** (on **SLL**) to be released soon
- **Assignment 1** solution released
- ***splitArrayHarder***: an **extended** version released
- Lecture notes template available
- Office Hours: 3pm to 4pm, Mon/Tue/Wed/Thu
- Contact Information of TAs on common eClass site

## Exercise: Mixing the "Best" from both Sorts?

(selections)

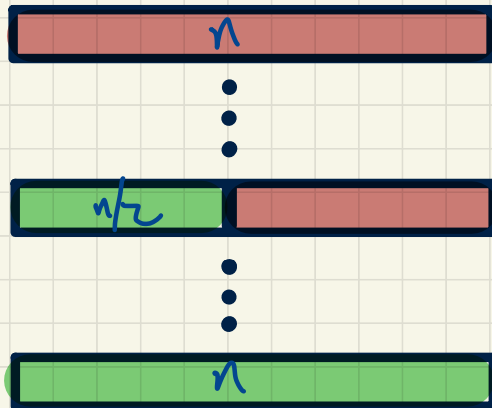
### Recall:

- In insertion sort, costs of insertions are increasing.
- In selection sort, costs of selections are decreasing.

### Idea:

- Perform insertion sort until half of the input is sorted.
- Perform selection sort to finish sorting the remaining half.

Q: Will this "new" algorithm perform better than  $O(n^2)$ ?



$$\frac{(1 + n/2) \cdot n/2}{2}$$

$$O(1 + 2 + \dots + n/2) = O(n^2)$$

1st insertion  $((n/2 + 1) \cdot n/2) / 2$   $n/2$ th insertion

$$O(n/2 + (n/2 - 1) + \dots + 1) = O(n^2)$$

$$O(\sqrt{n} + n^2) = O(n^2)$$

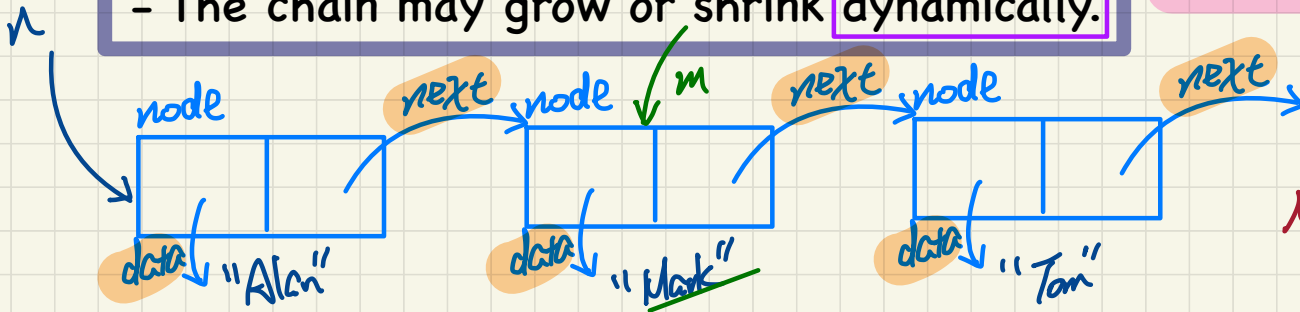
# Singly-Linked Lists (SLL): Visual Introduction

- A chain of connected nodes (via aliasing)
- Each node contains:
  - + reference to a data object
  - + reference to the next node
- Head vs. Tail
- Accessing a position in a linear collection:
  - + Array uses absolute indexing:  $O(1)$
  - + SLL uses relative positioning:  $O(n)$
- The chain may grow or shrink dynamically.

e.g.  $m$   
 $n.next$

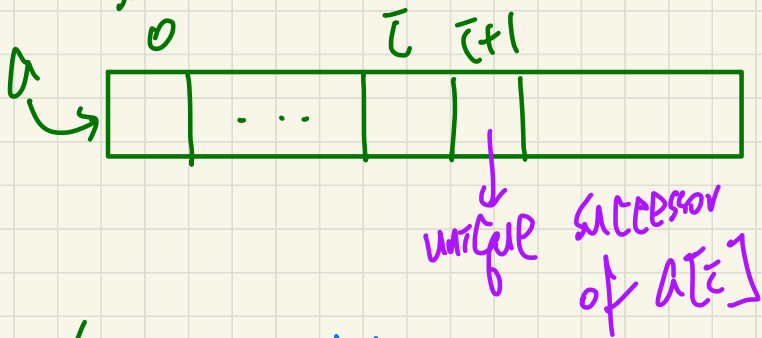
$(n: 1st\ node)$   
 $n.data == "Alan"$   
 $(n.next != null)$   
 $n.next.data == "Mark"$   
 $n.next.next != null$   
 $n.next.next.data == "Tom"$   
 $n.next.next.next.data$

Null Pointer Exception

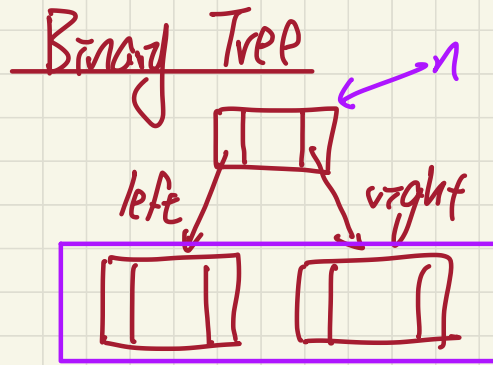


# Linear vs. Non-linear collections

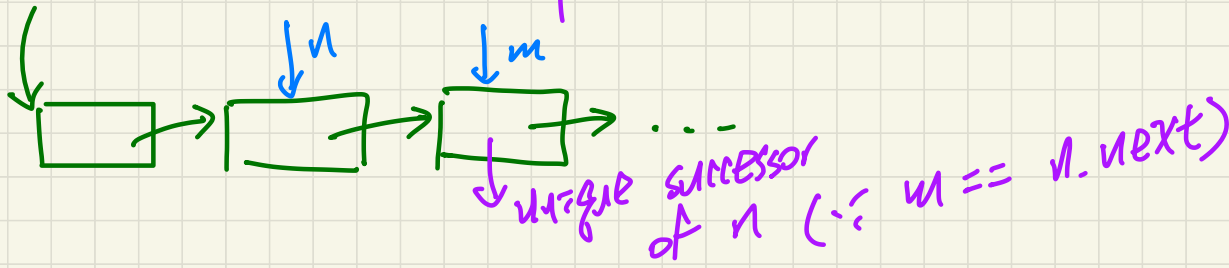
each position in the collection has a unique successor.



each position has multiple successors



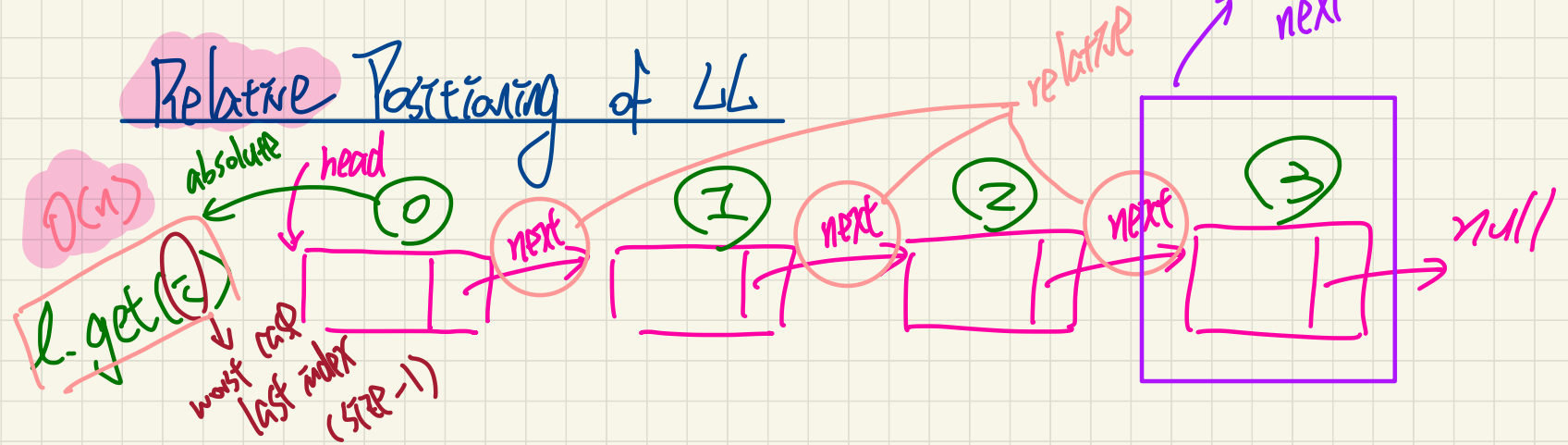
multiple successors of  $n$



# Absolute Indexing of Arrays

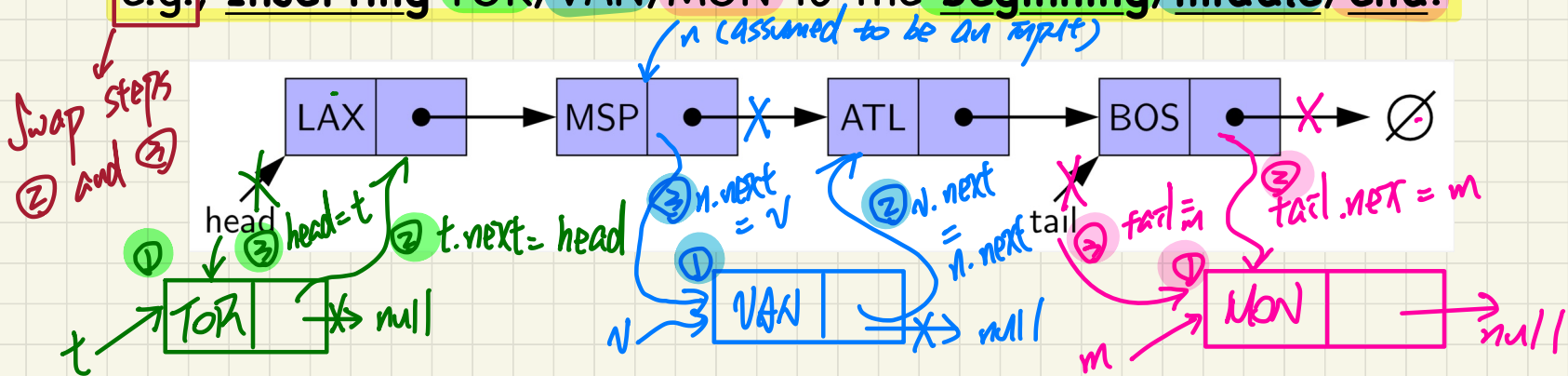
$A[i]$   $\rightarrow$   $O(1)$   
Int: calculate the address of  $i$ th element from the beginning of array.

# Relative Positioning of LL

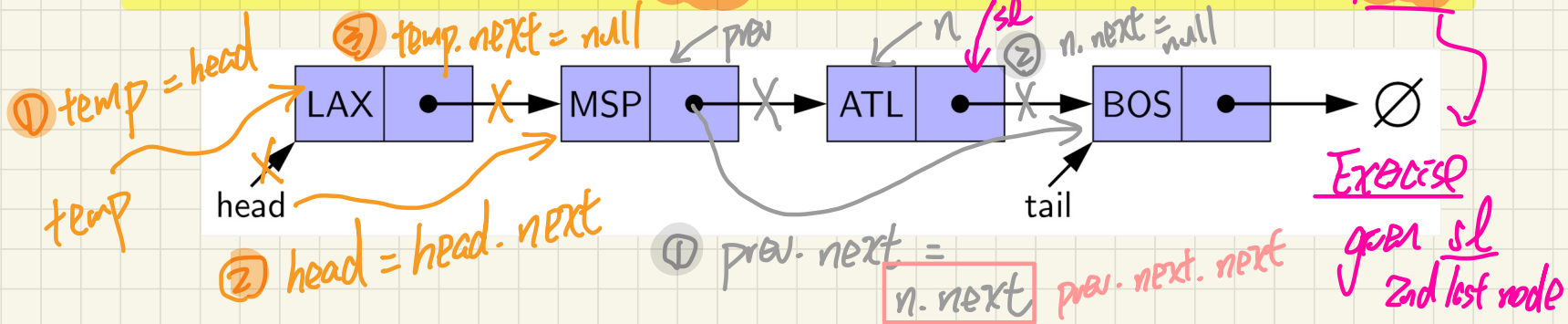


# A SLL Grows or Shrinks Dynamically

e.g., Inserting TOR/VAN/MON to the beginning/middle/end.



e.g., Removing LAX/ATL/BOS from the beginning/middle/end.



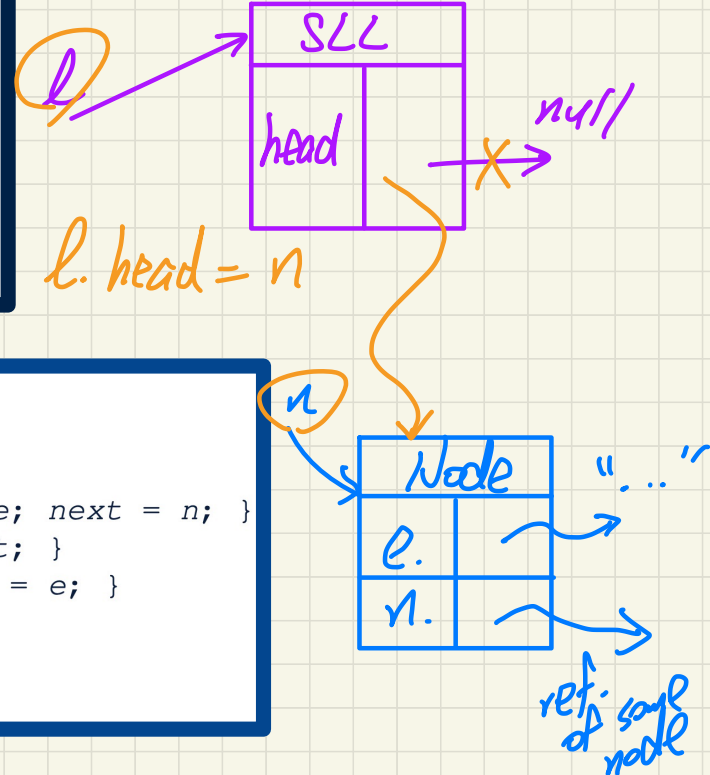
# Implementing SLL in Java: SinglyLinkedList vs. Node

```
public class SinglyLinkedList {  
    private Node head = null;  
    public void setHead(Node n) { head = n; }  
    public int getSize() { ... }  
    public Node getTail() { ... }  
    public void addFirst(String e) { ... }  
    public Node getNodeAt(int i) { ... }  
    public void addAt(int i, String e) { ... }  
    public void removeLast() { ... }  
}
```

recursive type

```
public class Node {  
    private String element;  
    private Node next;  
    public Node(String e, Node n) { element = e; next = n; }  
    public String getElement() { return element; }  
    public void setElement(String e) { element = e; }  
    public Node getNext() { return next; }  
    public void setNext(Node n) { next = n; }  
}
```

## Runtime





# SLL: Constructing a Chain of Nodes

Alan → Mark → Tom

```
public class Node {  
    private String element;  
    private Node next;  
    public Node(String e, Node x) { element = e; next = x; }  
    public String getElement() { return element; }  
    public void setElement(String e) { element = e; }  
    public Node getNext() { return next; }  
    public void setNext(Node n) { next = n; }  
}
```

Aliasing

1. tom
2. mark.next
3. alan.next.next

## Approach 1

```
Node tom = new Node("Tom", null);  
Node mark = new Node("Mark", tom);  
Node alan = new Node("Alan", mark);
```

